# Discussion: Heterogenous Price Rigidities and Monetary Policy

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Inflation: Drivers and dynamics

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#### • Big question:

What are the effects of a monetary shocks?

#### • This paper:

role of heterogeneity in price rigidities across sector for ...

- i. distributional consequences
- ii. aggregate consequences
- Main empirical result: (really nice!)

Statistical significant correlations between selling and income share of college graduated with frequency of price change

#### • Main theoretical result:

- i. Consumption of college-graduate is more to monetary shock (22%)
- ii. Output effect is stronger with heterogeneity (5%)

- Present facts
- Discuss role of facts for propagation of monetary shocks

#### Fact I

Strong negative correlation between PPI frequency of price change and payroll share of college graduate



#### Fact II

Weak negative correlation between CPI frequency and selling share to college graduate



## Fact III

Positive correlation between selling and payroll shares of college graduate



Warning: matching CEX data with ACS is not immediately

### Implication of facts

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- Are facts useful for thinking propagation of monetary shocks?
- Analyze within the context of Werning2015, Auclert2017
  - Framework that focuses in "demand" size (redistribution)
  - Ignore "supply: side of NKM
  - Not useful for these facts
- Analyze within the context of Kaplan/Moll/Violante2017
  - Maybe a final step
- Provide an intermediate step

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- Static model
- Complete markets
- Exogenous money supply M(s)

• s: discrete exogenous state with prob.  $\pi(s)$ 

• 2 agents denoted with h = C, NC

 $\circ~$  Supply type specific labor  $(L^h)$  with efficient  $A^h$ 

- N sectors in the economy n = 1, 2, ..., N
  - Continuum of producer  $i \in [0, 1]$
  - Fraction  $\theta_n$  after the shock  $((1 \theta_n)$  before shock)
  - Technology:  $y_{in} = \varphi_n (L_{in}^C)^{\alpha_n} (L_{in}^{NC})^{1-\alpha_n}$

#### Agents' problem and market clearing

• Household chooses consumption  $(c_{i,n}^h)$ , labor  $(L^h)$  and money  $(M^h)$ 

$$\begin{aligned} \max \mathbb{E}_{s} \left[ \log(c^{h}(s)) - L^{h}(s) + \log\left(M^{h}(s)\right) \right], \ s.t \\ c^{h}(s) &= \prod_{n=1}^{N} c_{n}^{h}(s)^{\omega_{n}^{h}} \quad ; \quad c_{n}^{h}(s)^{\frac{\gamma-1}{\gamma}} = \int_{0}^{1} c_{i,n}^{h}(s)^{\frac{\gamma-1}{\gamma}} di \\ 0 &= \sum_{s} Q(s) \left[ \sum_{n=1}^{N} \int_{0}^{1} p_{i,n}(s) c_{i,n}^{h}(s) di + M^{h}(s) - W^{h}(s) A^{h} L^{h}(s) - T^{h}(s) \right] \end{aligned}$$

• Firms choose contingent price  $p_{i,n}(s)$  (no contingent price  $p_{i,n}$ )

$$\max_{p_{i,n}(s)} \mathbb{E}_{s} \left[ \sum_{h} c_{i,n}^{h}(p_{i,n}(s)) \left( p_{i,n}(s) - W^{C}(s)^{\alpha_{n}} W^{NC}(s)^{1-\alpha_{n}} \right) \right]$$

• Money, good and labor markets clear

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$$\sum_{h} M^{h}(s) = M(s) \; ; \; \pi(s)/M^{h}(s) = Q(s)/\lambda^{h} \Rightarrow \frac{\pi(s)}{Q(s)} = (\lambda^{C} + \lambda^{NC})M(s)$$

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• Consumption + firms optimality:  $\pi(s)/c^h(s) = p^h(s)\lambda^hQ(s)$ 

$$\hat{c}^{h} = \hat{W}^{h} - \hat{P}^{h} = \hat{M} - \sum_{n=1}^{N} \omega_{n}^{h} \hat{P}_{n} = \hat{M} - \sum_{n=1}^{N} \omega_{n}^{h} \theta_{n} [\alpha_{n} \hat{M} + (1 - \alpha_{n}) \hat{M}])$$
  

$$\circ \hat{c}^{h} = \hat{M} (1 - \sum_{n=1}^{N} \omega_{n}^{h} \theta_{n}) \text{ and } \hat{c} = \hat{M} (1 - \sum_{n=1}^{N} \theta_{n} \tilde{w}_{n})$$

•  $\tilde{\omega}_n$  : aggregate consumption share in sector n

#### Main result and discussion

Propagation of money shocks depends only on average frequency of price change

- Extension I: More general preferences
  - Similar result for standard calibration for curvature of labor
- Extension II: Dynamic model
  - Replace ave. frequency  $(\sum \omega_n \theta_n)$  by ave. duration  $(1/\sum \omega_n \theta_n^{-1}))$
  - Alvares/Lippi/Le Bihan (2016), Baley/Blanco (2019)
- Extension III: Incomplete markets (positive monetary shock)
  - Distribution of wealth (wages) respond to money shock
  - College (low MPC) relative wages increases (evidence?? magnitud??)
  - $\Rightarrow$  Decrease effect of a monetary shock

- Nice paper over a a growing field
- Present new facts
- Main challenge: are these fact useful for macroeconomist?