

## Unconventional Monetary Policy and Funding Liquidity Risk

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Disclaimer: the views expressed are those of the authors and do not necessarily reflect those of the ECB.

## Motivation

- Money markets are key to bank liquidity management
  - ▷ allows to mitigate funding shocks when holding illiquid assets
- Access to money markets may be impaired due to lack of collateral
  - ▷ associated with high risk premia and drop in asset prices
- Striking for shadow banks as they lack access to central bank liquidity
  - ▷ motivation for unconventional monetary policy (Bernanke, 2009)

# This Paper

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*How can funding liquidity risk affect asset prices? What can the central bank do about it in the presence of shadow banks?*

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## Model:

We add liquidity management to an asset pricing model with heterogeneous banks

- Banks face idiosyncratic funding shocks while holding illiquid securities
- Banks trade in money markets subject to collateral constraints
- The central bank decides on the size and composition of its balance sheet

## Results

- When bank capital is low, a vicious cycle between declining asset prices and funding risks arises.
- Liquidity injection policy help alleviate stresses in the traditional banking sector but fail to reach to the shadow banking sector.
- Asset purchase policy (LSAP) decreases the stock of funding risks through a general equilibrium effect and therefore has a larger reach.

*If the shadow banking sector is large, LSAP is necessary to stabilize asset prices.*

## Contribution to the Literature

- **Macro-banking with fire-sales** (He, Kang, and Krishnamurthy, 2010; Brunnermeier and Sannikov, 2013; Gertler and Kiyotaki, 2015; Gertler, Kiyotaki, and Prestipino, 2017)
  - funding risk affects asset prices through the stochastic discount factor of intermediaries rather than aggregate cash flows
  
- **Macro-finance with monetary policy** (He and Krishnamurthy, 2013; Brunnermeier and Sannikov, 2014; Silva, 2017)
  - LSAP stabilize asset prices by decreasing aggregate funding risks rather than redistributing wealth to banks or risks to households.
  
- **Shadow banking:** (Vishny, 2013; Plantin, 2015; Moreira and Savov, 2017; Huang, 2018; Ordonez, 2018)
  - focus on lack of access to central bank liquidity instead of regulatory arbitrage

**MODEL**

# Environment

## Intermediary asset pricing

- random supply of Lucas Trees  $dS_t/S_t = \mu dt + \sigma dZ_t$  with dividend flow  $a$
- limit to bank equity issuance  $\rightarrow$  incomplete markets for aggregate risk

## Liquidity management

- idiosyncratic funding shocks
- collateralized money markets
- fire sale of securities at a cost  $\lambda$

## Shadow banks without access to central bank



## Monetary Policy

The central bank has three policy tools  $\{\underline{m}_t, \underline{\phi}_t, \underline{\nu}_t\}$ :

- **liquidity injection:** supply of reserves  $\underline{m}_t$
- **discount window:** provide lower haircuts  $\alpha_t \rightarrow \alpha_t + \underline{\phi}_t$
- **asset purchase:** purchase of securities  $\underline{\nu}_t$  but lower expertise  $\underline{a} < a$

subject to the balance sheet constraint:

$$\underline{\nu}_t + \underline{b}_t = \underline{m}_t$$

The central bank is not subject to funding liquidity risk

# STATIC RESULTS

- ▷ Analytical solution when dynamics are shut down ( $\eta_t = \eta$  and  $\bar{\eta}_t = \bar{\eta}$ )
- ▷ Epstein-Zin utility functions with risk aversion  $\gamma$ , intertemporal elasticity of substitution  $\zeta$ , and time preference  $\rho$

## Benchmark without Any Friction

In the absence of any friction ( $\lambda = 0$ ,  $\eta + \bar{\eta} = 1$ ), prices are given by:

$$q = \frac{a}{\rho - (1 - \zeta^{-1}) \left( \mu - \frac{\gamma}{2} \sigma^2 \right)}$$

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### ▷ **Neutrality of Monetary Policy Instruments**

In the absence of money market frictions ( $\lambda = 0$ ), any change in the monetary policy decision set  $\{\underline{m}_t, \underline{\phi}_t, \underline{\nu}_t\}$  has no effect on any equilibrium variables.

## Prices with No Central Bank

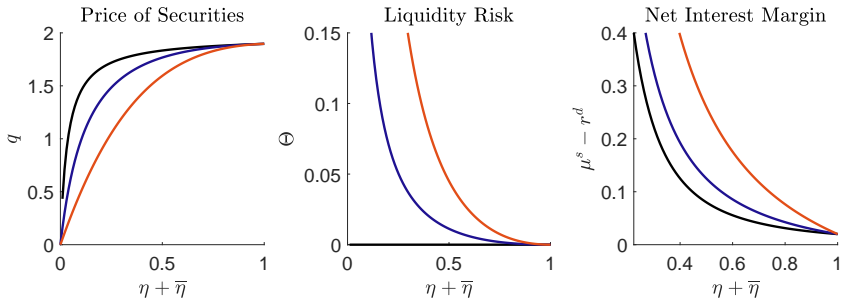
In an economy without asset purchase  $\underline{\nu} = 0$ , without reserves  $\underline{m} = 0$ , and without discount window facility  $\underline{\phi}_t = 0$ , prices are given by:

$$q = \frac{a}{\rho - (1 - \zeta^{-1}) \left( \mu - \frac{\gamma}{2} \frac{1}{\eta + \bar{\eta}} \left( \sigma^2 + \Theta^2 \right) \right)}$$

where

$$\Theta = \lambda(1 - \eta - \bar{\eta}) - \lambda\alpha$$

## No Central Bank with Moderate and Large Amount of Funding Risk



No funding liquidity risk in black ( $\lambda = 0$ ), moderate amount of funding liquidity risk in red ( $\lambda = 0.3$ ), large amount of funding liquidity risk in blue ( $\lambda = 0.6$ )

## Prices with Positive Supply of Reserves $\underline{m}$

In an economy without asset purchase  $\underline{\nu} = 0$  and without a discount window facility  $\underline{\phi} = 0$ , prices are given by:

$$q = \frac{a}{\rho - (1 - \zeta^{-1}) \left( \mu - \frac{\gamma}{2} \frac{1}{\eta + \bar{\eta}} (\sigma^2 + \Theta(\underline{m})^2 + \Omega(\underline{m})) \right)}$$

where

$$\Theta(\underline{m}) = \lambda(1 - \eta - \bar{\eta} - \underline{m}) - \lambda\alpha \quad \text{if } \underline{m} \leq \underline{m}^*$$

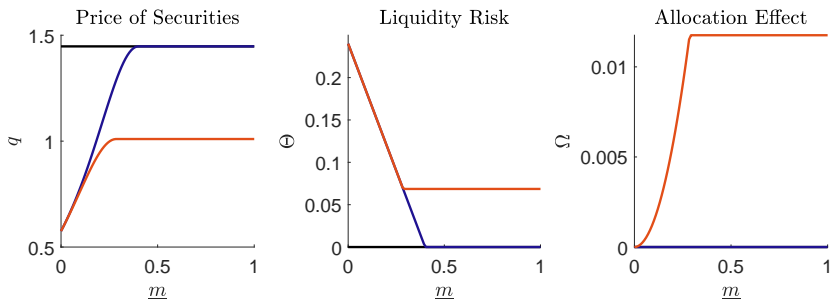
$$\Omega(\underline{m}) = \frac{\underline{m}^2(1 - \alpha)^2\lambda^2}{\sigma^2 + (1 - \alpha)^2\lambda^2} \frac{\bar{\eta}}{\eta} \sigma^2 \quad \text{if } \underline{m} \leq \underline{m}^*$$

where  $\underline{m}^*$  is the level of liquidity satiation for regular banks:

$$\underline{m}^* = (1 - \eta - \bar{\eta} - \alpha) \frac{\sigma^2 + \lambda^2(1 - \alpha)^2}{\sigma^2 + \lambda^2(1 - \alpha)^2 + \sigma^2 \frac{\bar{\eta}}{\eta}}$$



## Supply of Reserves with Small and Large Shadow Banking Sector



No funding liquidity risk in black ( $\alpha = 0$ ,  $\eta = 0.05$ ,  $\bar{\eta} = 0.05$ ); with small shadow banking sector in blue ( $\alpha = 0.6$ ,  $\eta = 0.08$ ,  $\bar{\eta} = 0.02$ ); with large shadow banking sector in red ( $\alpha = 0.6$ ,  $\eta = 0.02$ ,  $\bar{\eta} = 0.08$ )

## Prices with Large Scale Asset Purchases $\underline{\nu}$

In an economy without a discount window facility  $\phi = 0$  and  $\underline{\nu} = \underline{m} > 0$ , prices are given by:

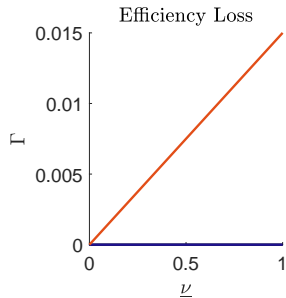
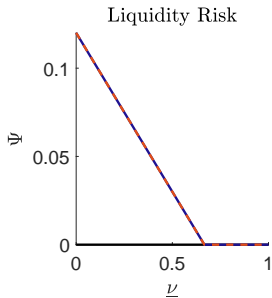
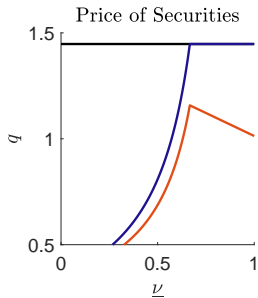
$$q = \frac{a - \underline{\nu}(a - \underline{a})}{\rho - (1 - \zeta^{-1}) \left( \mu - \frac{\gamma}{2} \frac{1}{\eta + \bar{\eta}} \left( \sigma^2 + \Theta(\underline{\nu})^2 \right) \right)}$$

where

$$\Theta(\underline{\nu}) = \lambda(1 - \eta - \bar{\eta} - \underline{\nu}) - \lambda\alpha(1 - \underline{\nu}) \quad \text{if } \underline{\nu} \leq 1 - \eta - \bar{\eta}$$

and  $\Theta(\underline{\nu}) = 0$  otherwise

## Large Scale Asset Purchases



No funding liquidity risk in black ( $\lambda = 0$ ); without efficiency loss in blue ( $\alpha = 0.6$ ,  $\underline{a} = a$ ); with efficiency loss in red ( $\alpha = 0.8$ ,  $a - \underline{a} = 0.01$ )

# DYNAMIC RESULTS

- ▷ Numerical solution with dynamics in the state variables  $\eta_t$  and  $\bar{\eta}_t$
- ▷ Endogenous collateral constraint to pin down  $\alpha(\eta_t, \bar{\eta}_t)$

## Collateral Constraint $\alpha(\eta_t, \bar{\eta}_t)$

To borrow \$1, the required amount of collateral  $\chi$  satisfies:

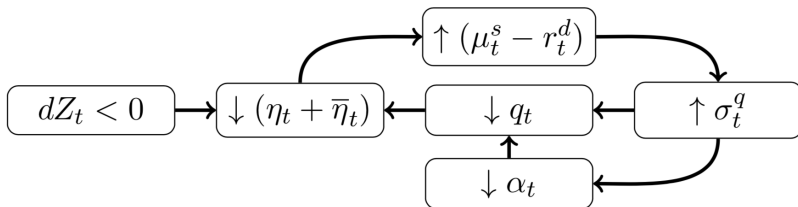
$$\mathbb{P} [\chi_t \exp (\mu_t^s - (\sigma_t^s)^2 / 2 + \sigma_t^s (Z_{t+1} - Z_t)) \leq 1] = p.$$

Thus, the proportion of available collateral  $\alpha_t$  per unit of risky asset is given by

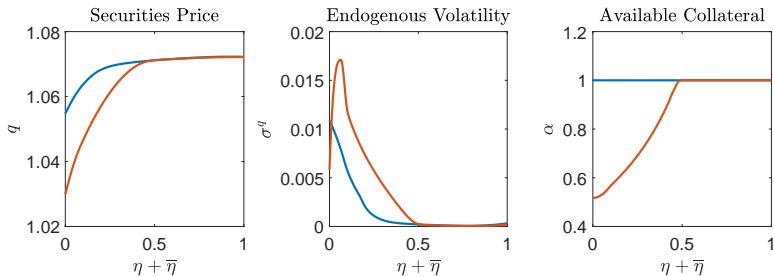
$$\alpha_t = \kappa^\chi \exp (\Phi^{-1}(p) \sigma_t^s + \mu_t^s - (\sigma_t^s)^2 / 2)$$

where  $\kappa^\chi$  is the fraction of securities that can be used as collateral

## Collateral Scarcity Spiral



## Collateral Scarcity Spiral



No amplification in blue ( $\alpha_t = 1$ ) and endogenous collateral constraint in red

▷ Brunnermeier and Pedersen (2009) in general equilibrium

## Conclusion

- When bank capital is low, an endogenous haircut spiral between declining asset prices and funding risks arises
- Liquidity injection policy help alleviate stresses in the traditional banking sector but fail to reach the shadow banking sector
- Asset purchase policy (LSAP) decreases the stock of funding risks through a general equilibrium effect and therefore has a larger reach

*If large shadow banking sector, LSAP may be necessary to stabilize asset prices*



